

# Preliminary Prediction of the Strength of the 24th 11-Year Solar Cycle

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**Abstract.** A suggested method is proposed to forecast the general features of the 11-year solar activity principle cycle. It is based upon the count of lengths and durations of spotless events, prevailing in the preceding minimum of the coming new cycle. The method has been successfully applied to predict the strengths and time of rises for the 22<sup>nd</sup> and 23<sup>rd</sup> 11-year cycles. The proposed precursor technique is further developed to make preliminary prediction of the maximum relative sunspot number and the time of rise of the 24<sup>th</sup> 11-year cycle. The predicted values of these parameters are found to be  $90.7 \pm 9.2$  and  $4.6 \pm 1.2$  year respectively. In addition, neural, Fuzzy neural and genetic algorithms have been also applied for the confirmation of the predicted results. A comparison with the early predictions used by other methods is given.

**Keywords.** Prediction, Sunspot, Solar Cycle, Neural Networks

## 1. Introduction

The prediction of the fundamental features of the 11-year solar cycle is vital and of prime importance for many astrophysical and geophysical fields of researches. A wide variety of methods have been proposed to predict the amplitude and the onset of the next cycle for a few years ahead. Numerous numerical techniques have been developed, among these methods, the odd/even behavior, the spectral techniques, the polar magnetic field, mixed methods and geomagnetic precursor...etc. A new suggested method depending on the measurements of the spotless events prevailing in the preceding minimum of the new coming 11-year cycle was proposed as a prediction precursor of the various characteristics of the examined cycle.

## 2. Data Used

The records of daily sunspot numbers were collected according to the Boulder preliminary report of National Geophysical Data Center (NGDC), (NOAA) in addition to the documented Mckinnon (1987) data which is an update of Waldmeier's (1961) compilation. The interval of our presentation includes good cycles (cycle 7-9) (Eddy, 1977), and the modern era sunspot cycles (cycles 10-23).

## 3. Analysis

1-The relation between the minimum sunspot number  $R_m$  and the number of spotless event  $S_{om}$ .

$$R_m = (15.4173 \pm 1.1812) - (0.02625 \pm 0.00302)S_{om}, \text{ for Cycles from } 7 - 22.$$

$$R_m = (15.1582 \pm 1.2203) - (0.02527 \pm 0.00322)S_{om}, \text{ for Cycles from } 8 - 22.$$

$$R_m = (14.6864 \pm 1.3465) - (0.02436 \pm 0.00343)S_{om}, \text{ for Cycles from } 10 - 22.$$

The above relation gives an average value of  $R_m = 8.6 \pm 0.43$ .

2– The least square empirical equations for the ratio  $R_M/R_m$  against  $S_{om}/S_{omn}$  are as follows,

$$\ln R_M/R_m = (1.6996 \pm 0.5635) + (1.4559 \pm 0.4655)S_{om}/S_{omn}, \text{ for Cycles } 7 - 22.$$

$$\ln R_M/R_m = (2.1205 \pm 0.2894) + (0.9234 \pm 0.2469)S_{om}/S_{omn}, \text{ for Cycles } 8 - 22.$$

$$\ln R_M/R_m = (2.1529 \pm 0.2932) + (0.9064 \pm 0.2384)S_{om}/S_{omn}, \text{ for Cycles } 10 - 22.$$

According to the defined relations  $R_{M24}$  and  $T_{r24}$  for the cycle  $24^{th}$  can be represented in the following forms:

$$R_{M24} = (187.1697 \pm 21.7179) - (0.1855 \pm 0.0566)S_{omn} = 84.6 \pm 9.6, \text{ for cycles } 7 - 22.$$

$$T_{r24} = (2.5343 \pm 0.5363) + (0.0044 \pm 0.00144)S_{omn} = 5.0 \pm 1.3 \text{ Year, for cycles } 7 - 22.$$

$$R_{M24} = (184.0987 \pm 22.9376) - (0.1740 \pm 0.0617)S_{omn} = 98 \pm 7.6, \text{ for cycles } 8 - 22.$$

$$T_{r24} = (2.8504 \pm 0.4394) + (0.0032 \pm 0.0012)S_{omn} = 4.4 \pm 1 \text{ Year, for cycles } 8 - 22.$$

$$R_{M24} = (183.0482 \pm 25.6187) - (0.1733 \pm 0.0670)S_{omn} = 89.6 \pm 10.5, \text{ for cycles } 10 - 22.$$

$$T_{r24} = (2.7260 \pm 0.4346) + (0.0034 \pm 0.0011)S_{omn} = 4.5 \pm 1.2 \text{ Year, for cycles } 10 - 22.$$

Our results are compared with early methods of prediction in Table (1) (Kane, 1999, Badalyn2000 and Duhau 2003). We must mention that our suggested methods have been successfully applied to predict the strengths and the time of rises for the  $22^{nd}$  and  $23^{rd}$  11-year cycles (R.H. Hamid. and A.A. Galal, 1994, and R.H.hamid. 2000). These comparisons are illustrated in Table (2) and Table (3). Recently a promising method depending on the time series analysis such as neural network; fuzzy neural and genetic algorithms have been applied. Fuzzy logic neural network was established for prediction of the coming  $24^{th}$  solar activity cycle.

**Table (1)**  
Selected maximum amplitude predictions  
For solar cycle 24

<i>Reference</i>	<i>ValueOfR<sub>M</sub></i>
Kane,1999	105 ± 9
Badalyn,2000	50 at 2010 - 2011
Duhau,2001	87.5 ± 23.5
Hamid and Galal,2004	90.7 ± 9.2 at 2010 - 2011 Tr =4.6 ± 1.2 Y
Fuzzy Logic Neural Network	110
Observed value	?

**Table (2)**

Selected maximum amplitude predictions  
For solar cycle 22

<i>Max.sunspotno.</i>	<i>Reference</i>
Kane,1982	$35 \pm 165$
Thompson,1993	148.3
Fuzzy neural model	150
Spotless precursor	153+18
Observed value	157.6

**Table (3)**

Selected maximum amplitude predictions  
For solar cycle 23

<i>Max.sunspotno.</i>	<i>Reference</i>
Kopecky,1991	208
Wilson,1992	$198.8 \pm 26.5$
Letfus,1993	$195.8 \pm 17$
Schatten et al,1996	$183 \pm 30$
Thompson,1996	164.9
Bounar et al,1997	158
	$160 \pm 30$
Joselyn <i>et al.</i> ,1997	156
Li,1997	$149.3 \pm 19.9$
Rajmal,1997	$158 \pm 18$
Wilson <i>et al.</i> ,1998a	$160 \pm 30$
Wilson <i>et al.</i> ,1998b	$152 \pm 29$
Hanslmeier,1999	$154 \pm 21$
Hathaway <i>et al.</i> ,1999	$140 \pm 25$
Kane,1999	$140 \pm 9$
Lantos,2000	133,122,110
Fuzzy neural model	132
Spotless precursor	$134 \pm 10.3$
Observed value	124

#### 4. Conclusion

We may conclude that there is an indication that a long - term oscillation 80 - 100 years may be operative and in a few coming cycles the sunspot maximum may be smaller and rebound thereafter.

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