

CHROMOSPHERIC EMISSION AND ROTATION OF MAIN SEQUENCE STARS

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Here we present a quantitative approach to the problem of the chromospheric emission and rotation in main sequence stars based on a consistent analysis of recent published data of stars from F8 to K5. This analysis has been performed using the following physical parameters:

- a) total power emission in the CaII K line, L_K ;
- b) stellar rotation period, P_{rot} , from chromospheric emission variability;
- c) stellar ages from lithium abundance.

The obtained results are summarized as follows.

- The K line luminosity, L_K , follows an exponential law with the rotation period (see the Figure), not dependent on the spectral type,

$$\log L_K = 29.02 - P_{rot}/27.02 \quad (1)$$

- The K line luminosity, L_K of one solar mass stars, follows an exponential decay with the square root of the age

$$\log L_K = -1.485 \times 10^{-5} t^{\frac{1}{2}} + 29.28 \quad (2)$$

The combination of relations (1) and (2) leads to

$$V_{rot} = 1.27 \times 10^5 t^{-\frac{1}{2}} \quad (3a)$$

for stars of about one solar mass and age larger than 2.6×10^8 years. This result compares fairly well with the Soderblom's observed relation (Soderblom 1981)

$$V_{sini} = 1.26 \times 10^5 t^{-\frac{1}{2}} \quad (3b)$$

- The K line luminosity for stars of the same age follows a power law

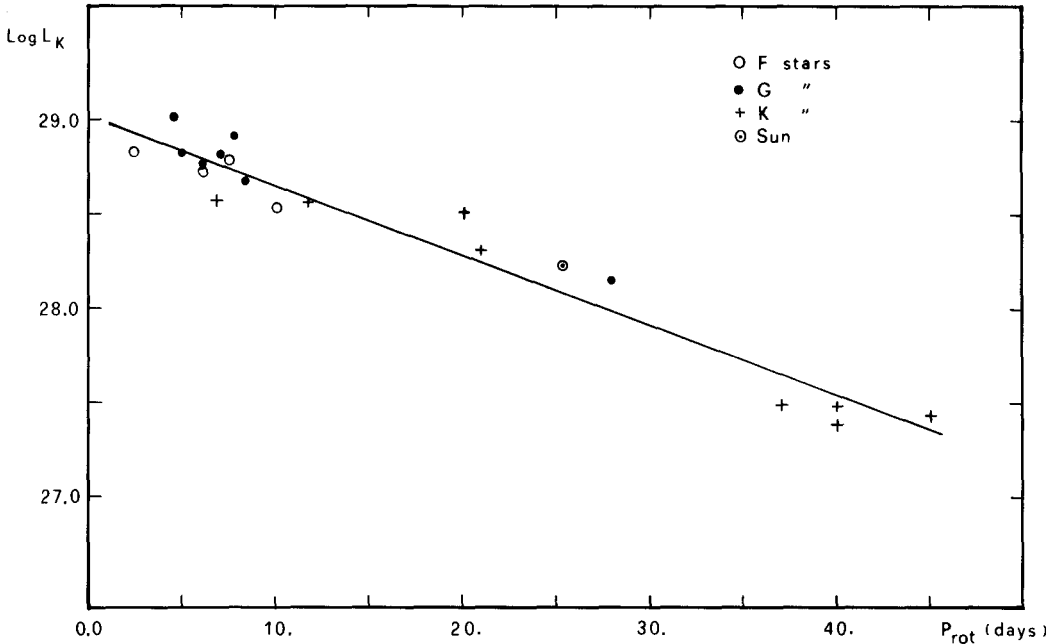


Figure 1. $\log L_K$ versus P_{rot} plot for F-K main sequence stars. The solid line represents a linear fitting for all the stars in our sample, including the Sun.

with the stellar mass

$$\log L_K = 4.97 \log (M/M_{\odot}) + 28.87 \text{ (Hyades)} \quad (4a)$$

and

$$\log L_K = 5.17 \log (M/M_{\odot}) + 29.48 \text{ (Pleiades)} \quad (4b)$$

The combination of the observed relations (2) and (4) leads to a simple relation for the chromospheric emission of main sequence stars

$$L_K (M/M_{\odot}, t) = L_K (1, 0) (M/M_{\odot})^{\alpha} e^{-\beta t^{\frac{1}{2}}} \quad (5)$$

where α and β are real positive coefficients. Further observations are needed to establish if

$$\alpha = \alpha(t) \quad (6a)$$

and

$$\beta = \beta(M/M_{\odot}) \quad (6b)$$

If α and β are constant, then, relations (1) and (5) lead to

$$P_{\text{rot}} = -\alpha' \log(M/M_{\odot}) + \beta' t^{\frac{1}{2}} + \text{const} \quad (7)$$

So the rotation period of main sequence stars would be determined only by their masses and ages. On the other hand this result would have strong implications for rotation at

$$t = 0 \quad (\text{initial angular momentum})$$

and

$$t = t_0 \quad (\text{angular momentum at the Zero Age Main Sequence})$$

REFERENCE

Soderblom, D.R.: 1981, *Astrophys. J.*