

MILLIARCSECOND POLARIZATION MEASUREMENTS ⁺

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Linear polarization measurements at milliarcsecond resolution have been made at $\lambda 6$ cm using four stations of the U. S. VLBI Network and the Mark III recording system. Calibration of the cross-polarization contamination of the feeds was done using the cross- to parallel-hand fringe ratios of the essentially unpolarized source OQ 208, and is believed accurate to 0.5%. Other sources, such as A0 0235+164 and 0106+013, which are nearly unresolved in the unpolarized fringes, show clear signs of resolution in their polarized fringes. A preliminary map of the BL Lacertae object OJ 287 is compatible with a weakly-polarized optically-thick core and a highly-polarized optically-thin jet about 5 mas in length.

OBSERVATIONS

Data were taken for 24 hours in December 1981 with the 120-foot Haystack, 140-foot Green Bank, and 130-foot Owens Valley antennas, and the phased-up 27 antennas of the Very Large Array, using the Mark III recording system. Seven 2-MHz tracks each of right and left circularly-polarized radiation (RCP and LCP), centered at a sky frequency of 4983 MHz ($\lambda 6$ cm), were recorded at Green Bank and the VLA, while only LCP was available at Haystack and Owens Valley. All possible parallel- and cross-hand correlations were performed on the Haystack Mark III correlator.

POLARIZATION CALIBRATION

Detection of the RCP and LCP components of the source radiation (the electric fields E_R and E_L) in each of the two elements of an interferometer enables one to measure the Stokes parameters (I , Q , U , V), where I is the total intensity, Q and U are the linearly-polarized components, and V is the circularly-polarized component. These are related to the complex linear polarization P by $P = Q + i U = m I e^{2i\chi}$, where m is the fractional linear polarization and χ is the linear polarization position angle. Any real antenna and feed system will have arbitrary gain and some cross-polarization response, and the voltage induced in given right- and left-

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circularly polarized feeds may be written approximately as

$$V_R = G_R(E_R e^{-i\phi_p} + D_R E_L e^{+i\phi_p}), \quad V_L = G_L(E_L e^{+i\phi_p} + D_L E_R e^{-i\phi_p}),$$

where the G's and D's are complex gains and cross-talks, and ϕ_p is the parallactic angle. If all cross-correlations of the voltages are formed, and terms second-order in m and D are dropped, the results are

$$\begin{aligned} L_1 L_2^* &= e^{i(\psi_1 - \psi_2)} G_{1L} G_{2L}^* (I - V) e^{i(+\phi_1 - \phi_2)}, \\ R_1 L_2^* &= e^{i(\psi_1 - \psi_2)} G_{1R} G_{2L}^* [(m I e^{+2i\chi}) e^{i(-\phi_1 - \phi_2)} \\ &\quad + D_{2L}^* (I + V) e^{i(-\phi_1 + \phi_2)} + D_{1R} (I - V) e^{i(+\phi_1 - \phi_2)}], \end{aligned}$$

plus similar equations for RR and LR. Here ψ_1 and ψ_2 are time-variable phases due to the differences in clock rate, atmosphere, etc., at the two stations. In order to calibrate the polarization response, it is necessary to put successive cross-hand fringes in the same phase-frame. Since the parallel-hand fringes on a given baseline at a given epoch are contaminated by exactly the same phases ψ_1 and ψ_2 as are the cross-hand fringes, their ratio is free of this phase ambiguity. Thus we form cross- to parallel-hand fringe ratios such as

$$\frac{R_1 L_2^*}{L_1 L_2^*} = \frac{G_{1R}}{G_{1L}} [m e^{2i(\chi - \phi_1)} + D_{2L}^* e^{2i(-\phi_1 + \phi_2)} + D_{1R}],$$

neglecting terms of order V/I since the circular polarization of almost all compact radio sources is known to be small. These relations still contain the unknown (and possibly time-variable) ratios of right and left instrumental gains at a given stations, e.g., (G_{1R}/G_{1L}). Fortunately, the ratio of parallel-hand fringes (RR/LL) on the same baseline involves the same gain ratios, and may be used to determine how they change in time. Due to the method of phasing-up the array, there was substantial R-L phase drift for the VLA, but essentially no drift at Green Bank. The amplitude part of the R-L gain ratio proved to be quite stable (better than 1%). With this information, the cross- to parallel-hand fringe ratios contain one fixed vector and one or two rotating vectors, depending on the stations involved. Knowing the parallactic angles at each station for each scan, it is straightforward to solve for m and the D's. The single overall phase constant was determined by comparing the VLBI results with those obtained simultaneously at arcsecond resolution for sources which are substantially unresolved by VLBI.

Two independent sets of polarization calibration software were used to analyze the data. One is correlator-based, and determines the antenna cross-gains baseline-by-baseline; these routines use only the cross- to parallel-hand fringe ratios. The second set of routines does a full antenna-based solution, and is quite similar to that used to calibrate the VLA. Each set was applied to OQ 208 = 1404+286, which

TABLE 1: INSTRUMENTAL CALIBRATION

Station	Correlator-Based [#]		Antenna-Based	
	D _R [*] (%,phase)	D _L (%,phase)	D _R [*] (%,phase)	D _L (%,phase)
G	5.8 (-160)	11.0 (0)	6.2 (-163)	10.4 (0)
Y	2.0 (-135)	1.4 (- 39)	2.0 (-134)	1.2 (- 36)
K	--	2.5 (+139)	--	2.7 (+142)
O	--	4.1 (+ 93)	--	4.2 (+ 91)

[#]Average of baseline-by-baseline results.

is essentially unpolarized (< 0.3 %) at arcsecond resolution, yielding the cross-gains given in Table 1. The root-mean-square deviation of the fits to a individual correlators is typically about 0.4%; we estimate that the overall polarization calibration is good to 0.5%. There are small but measurable correlator-based differences in the cross-talks, probably due to non-identical bandpasses. For example, the term D_{YR} has a value 1.8% when determined on the GY base-line, but 2.3% when determined on the KY baseline. Using the correlator-based calibration of the VLBI data, and only the short baselines KG and OY, we find the source parameters given in Table 2. Although they are nearly unresolved in total intensity, the sources 0106+013, 0235+164, and 1749+049 showed clear signs of resolution in their cross-hand fringes, indicating that their diffuse structure is more highly polarized than their compact components.

TABLE 2: SOURCE POLARIZATION

Source	VLBI		VLA	
	m(%)	χ	m(%)	χ
0106+013 [#]	3.4	-46	3.5	-52
0235+164 [#]	1.3	+38	1.8	+44
OQ 208	<0.3	--	##	##
1749+049 [#]	4.5	+42	##	##

[#]Slightly resolved. ##Not observed.

POLARIZATION STRUCTURE OF OJ 287

A preliminary map of the polarized flux of OJ 287 = 0851+202 was produced by the complex-polarization method. The cross- to parallel-hand fringe ratios were calibrated using the correlator-by-correlator cross-talks determined from OQ 208; the result of projecting the ratios onto the u-axis is shown in Figure 1. These cross- to parallel-hand fringe ratios were converted into polarization visibilities P(u,v) using a model I_m(x,y) of the total intensity distribution of this nearly-unresolved source, by multiplication with the corresponding visibility I_m(u,v). A model consisting of a point source plus a 5 mas gaussian with flux ratio 5:1 and 5 mas separation was adopted, but the results are almost the same if a single point source is used instead. After a u-v taper corresponding to angular resolution of 3 mas, a one-dimensional Fourier transform and a

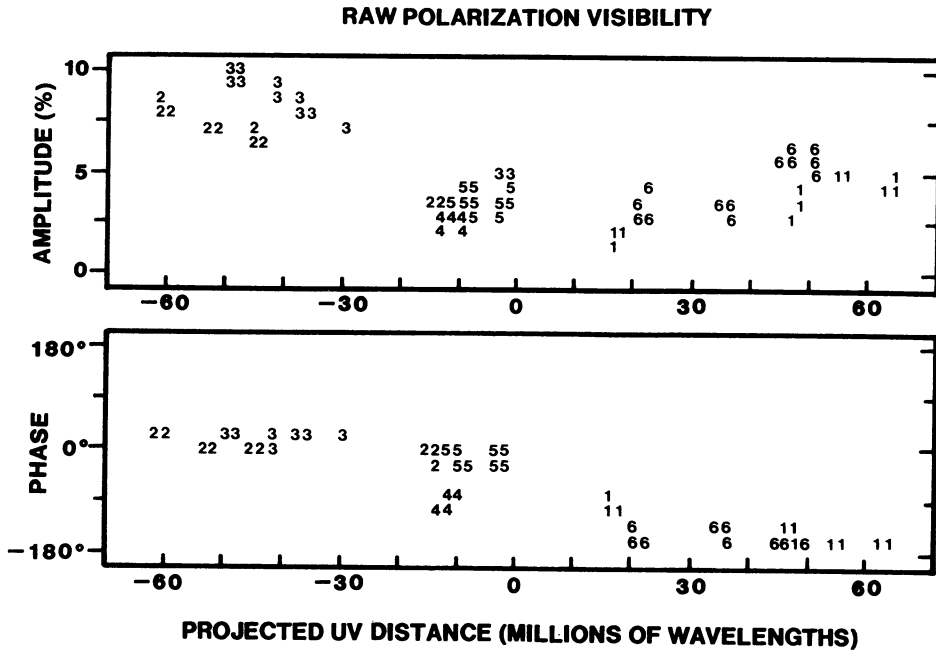


Figure 1. Cross- to parallel-hand fringe ratios for OJ 287, projected onto the u-axis. The various symbols distinguish the six correlators: 1 = RL(GY), 2 = LR(GY), 3 = LR(KY), 4 = LR(OY), 5 = LR(KG), 6 = LR(OG).

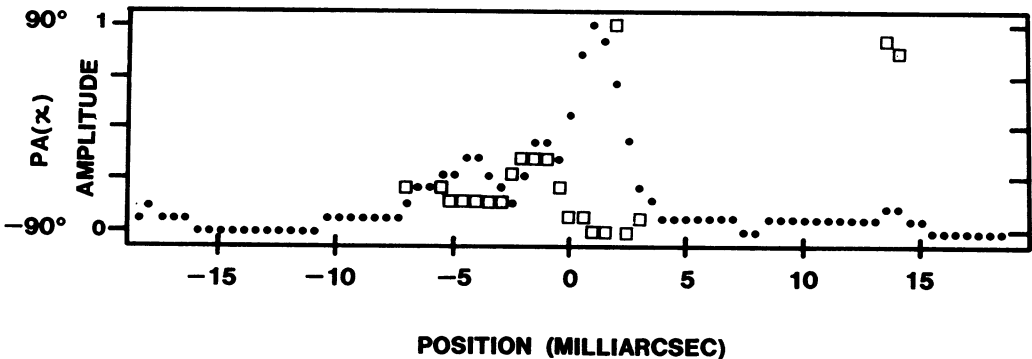


Figure 2. Complex polarization of OJ287, along PA = 90°. The dots and squares are amplitude and position angle; the amplitude scale is arbitrary.

complex clean led to the map in Figure 2. The map is consistent with a weakly-polarized core and a highly-polarized jet, with significant changes in polarization position angle that may be related to changes in optical depth and/or orientation of magnetic field across the source.

The NRAO is operated by Associated Universities, Incorporated, under contract with the NSF. This research was supported in part by the NSF.