

From No. 15 we get the theorem:—If from any point M on a conic, a tangent be drawn meeting a confocal in N, the product of the perpendicular from the centre on the tangent at N by the intercept on the normal at N between the tangents at M and N is constant.

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Mr J. S. MACKAY gave a synopsis of Frans Schooten's "Geometry of the Rule," as it is contained in the second book of the *Exercitationes Mathematicae*, Leyden, 1657.

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Mr P. ALEXANDER contributed a note on the two definite integrals

$$\int_0^{\infty} \sin nx dx \quad \text{and} \quad \int_0^{\infty} \cos nx dx.$$

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*Sixth Meeting, April 10th, 1885.*

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A. J. G. BARCLAY, Esq., M.A., President, in the Chair.

Note on the evaluation of functions of the Form  $O^0$ .

By T. B. SPRAGUE, M.A., F.R.S.E.

Let  $f(t)$ ,  $\phi(t)$ , be two functions of  $t$ , such that they both vanish with  $t$ , that is,  $f(0) = 0$ ,  $\phi(0) = 0$ ; and put

$$z = \{f(t)\}^{\phi(t)}.$$

Then, in order to find the limiting value of  $z$  when  $t = 0$ , we proceed as follows:—

$$\text{Log } z = \phi(t) \cdot \log f(t) = \frac{\log f(t)}{\frac{1}{\phi(t)}}$$

This fraction takes the form  $-\frac{\infty}{\infty}$  when  $t = 0$ , and we therefore have