THE TRANSFER OF THE KRULL DIMENSION AND THE GABRIEL DIMENSION TO SUBIDEALIZERS*: ERRATUM

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In Lemma 1.3(i) we claim that the canonical map $f: AM \to AM \otimes_R T$ is an isomorphism, where A denotes a right R-module and R is a subidealizer of an idempotent right ideal M of a ring T. While it remains true that f is an epimorphism, its inverse, the multiplication "map" $m: AM \otimes_R T \to AMT$, may not be defined; for AMT is defined only when AM embeds in a right T-module.

The isomorphism property of f is used in the proofs of Lemma 1.3(ii), Proposition 1.4, and Proposition 2.3. All these results can be recovered. In 1.3(ii) the module A_R is flat, and this together with the diagram on p. 877 forces f to be a monomorphism. Rather than equalities, only the inequalities

$$G\text{-dim } (AM)_R \geqq G\text{-dim } (AM \otimes_R T)_R$$

and

$$K\text{-dim } (AM)_R \geqq K\text{-dim } (AM \otimes_R T)_R$$

are needed in the proofs of Propositions 1.4 and 2.3, respectively; these inequalities are immediate consequences of f being an epimorphism.

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